

Laboratory Evaluation of the GeoGauge™

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Objectives of Laboratory Evaluation

- Verify reasonableness of GeoGauge measurements for approximate elastic half space model using well established soil mechanics principles:
 - Use dry silica sand in soil bin lined with energy absorbing material to simulate radiation damping.
 - Compare GeoGauge stiffness measurements with empirical relations of Hardin & Richart.
- Determine layering and boundary effects:
 - GeoGauge measurements on successive 4 inch layers in soil bin
 - GeoGauge measurements at various lateral positions on each successive layer
- Develop laboratory test methodology for determination of a subgrade's or base coarse's potential stiffness.
 - Standard Proctor compaction with subsequent GeoGauge measurement.

Raining of Silica Sand into Test Bin

Bin Dimensions:

30"x28"x24" Deep

3/4" Styrofoam Lined

U.S. Silica F-52 Sand

Mean Size: 0.26 mm

Rain Height: 18"

Void Ratio: 0.497

Dry Density: 110.5 pcf

Rel. Density: ~100%



GeoGauge Test on Dry Silica Sand



Half-Space Test Results

- GeoGauge Data (8 measurements) at Center-Line
 - Mean Stiffness: 6.19 MN/m (35300 lb/in.)
 - Standard Deviation: 0.04 MN/m
 - Coefficient of Variation: 0.7%

Analysis

Stiffness Solution for an Annular Loading (GeoGauge)
on an Elastic Half Space (Poulos & Davis)

$$K = \frac{F}{\delta} = \frac{3.54GR}{(1-\nu)}$$

where

K = Stiffness

G = Shear Modulus

R = Footing Radius (2.25 inch for GeoGauge)

ν = Poisson's Ratio

Estimate of Shear Modulus

(Hardin & Richart)

$$G = \frac{2630(2.17 - e)^2}{(1 + e)} (\bar{\sigma}_o)^{0.5}$$

G = Shear Modulus

e = Void Ratio

$\bar{\sigma}_o$ = Bulk Effective Stress

$$\bar{\sigma}_o = \frac{\bar{\sigma}_v + 2\bar{\sigma}_h}{3} = \frac{\bar{\sigma}_v + 2K_o\bar{\sigma}_v}{3} = \frac{\bar{\sigma}_v}{3} (1 + 2K_o)$$

where

$\bar{\sigma}_v$ = Vertical Effective Stress

$\bar{\sigma}_h$ = Horizontal Effective Stress

K_o = Lateral Earth Pressure Coefficient

$$K_o = \left(1 + \frac{2}{3} \sin \phi\right) \left(\frac{1 - \sin \phi}{1 + \sin \phi}\right) \quad (\text{Jaky})$$

where

ϕ = Effective Angle of Internal Friction

A laboratory estimate of the angle of internal friction was:

$$\phi = 33^\circ$$

With resultant estimates of:

$$K_o = 0.402$$

$$\bar{\sigma}_o = 0.601 \bar{\sigma}_v$$

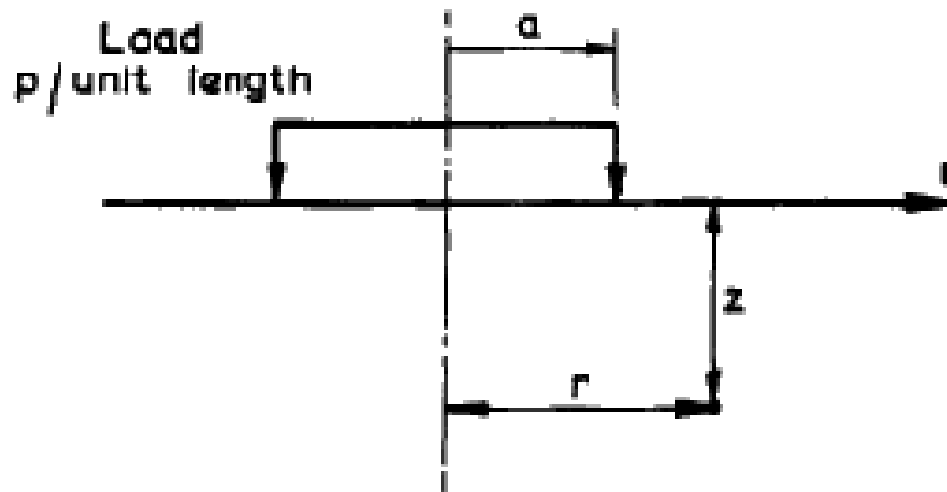
From Hooke's Law, Poisson's Ratio is:
$$\nu = \frac{K_o}{1 + K_o}$$

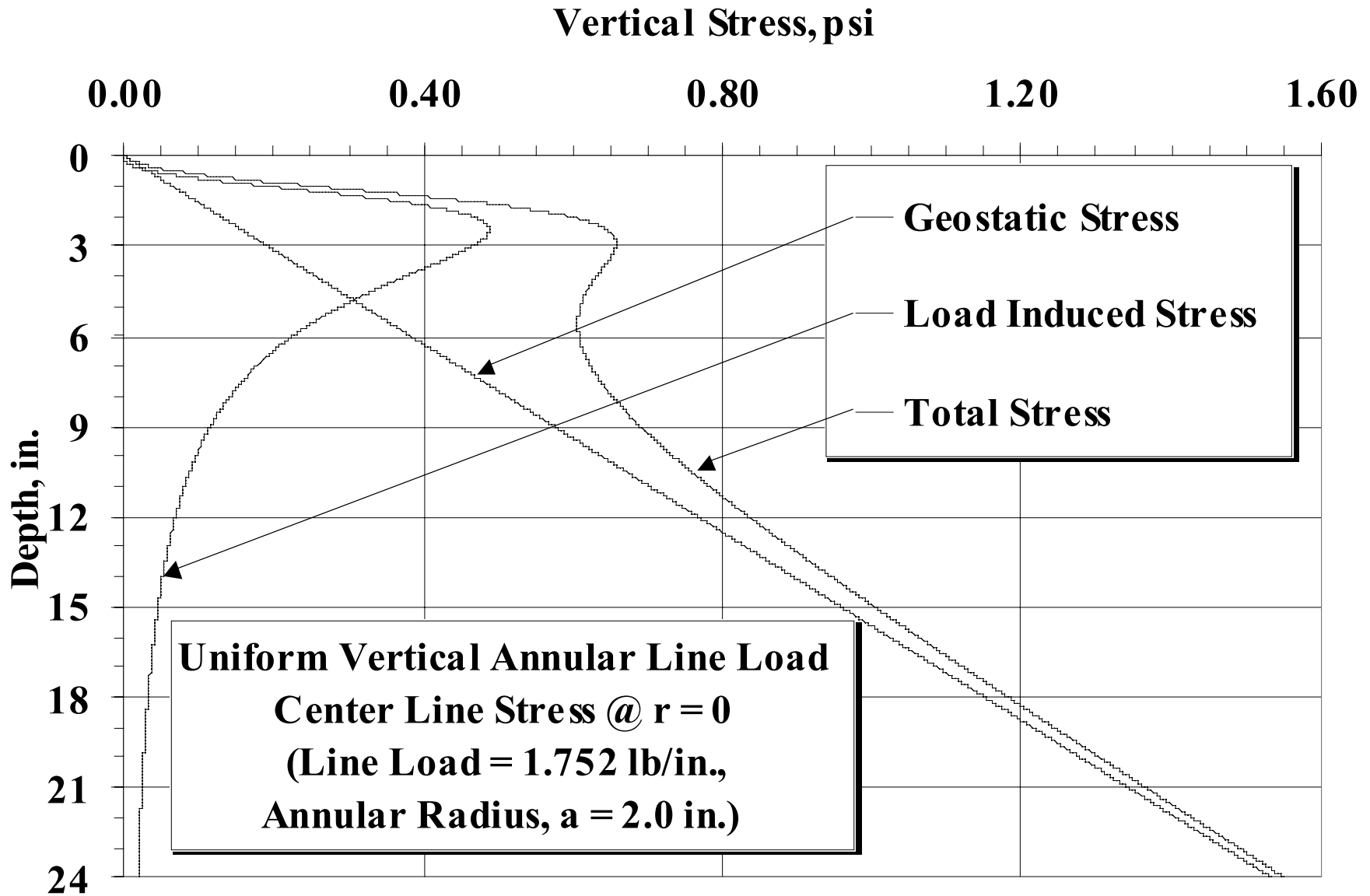
$$\nu = 0.287$$

Estimate of Vertical Effective Stress

The analytical solution for the vertical stress distribution on centerline below an annularly loaded footing is:

$$\sigma_v = \frac{3pz^3a}{(a^2 + z^2)^{5/2}} \quad (\text{Poulos \& Davis})$$





$$\bar{\sigma}_v = 0.63 \text{ psi}$$

(approximate average
over 0 to 9 inch depth)

$$K = \frac{F}{\delta} = \frac{3.54GR}{(1-\nu)} = 33800 \text{ lb/in.}$$

% Error

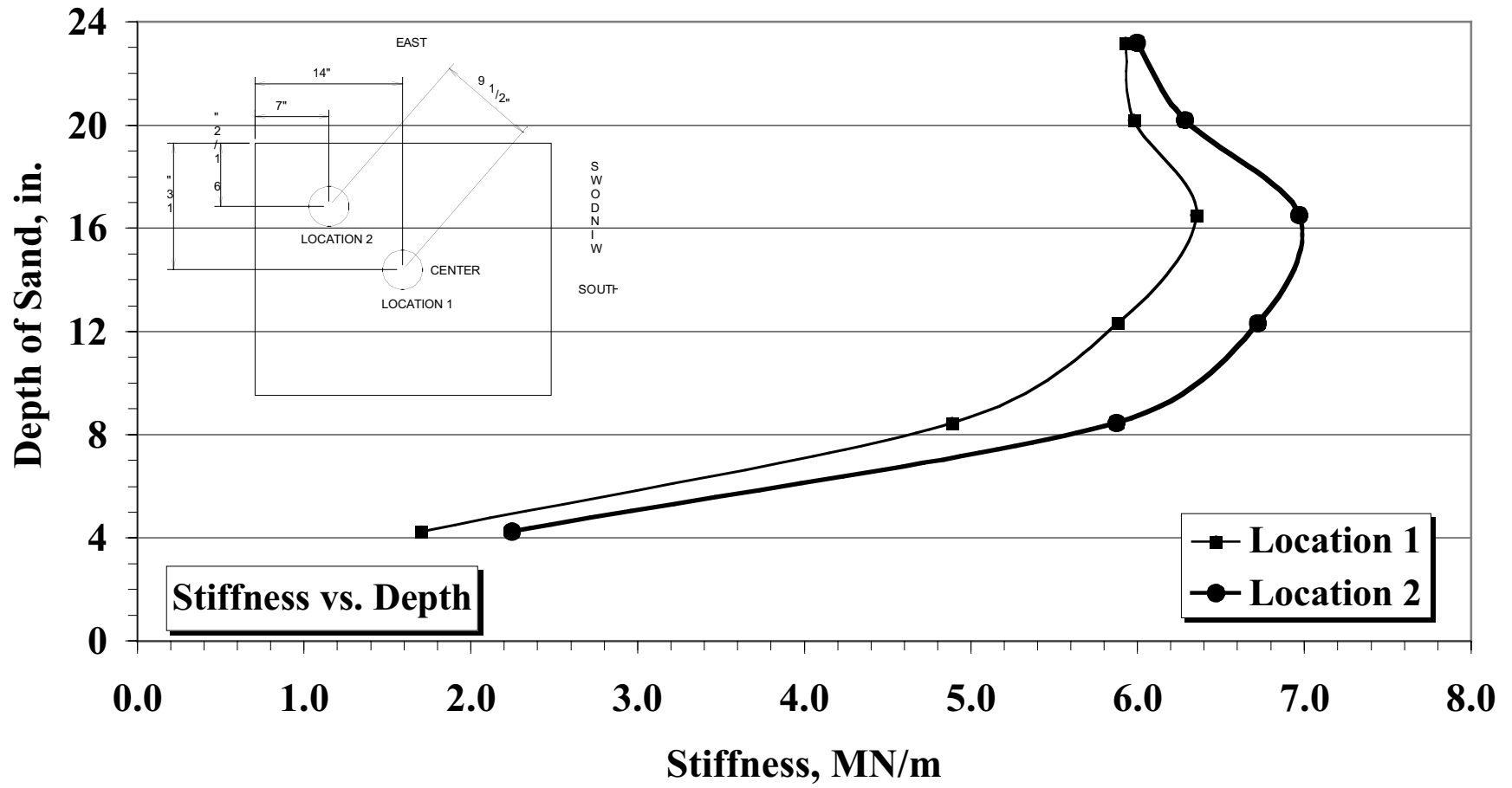
Experimental: 35300 lb/in.

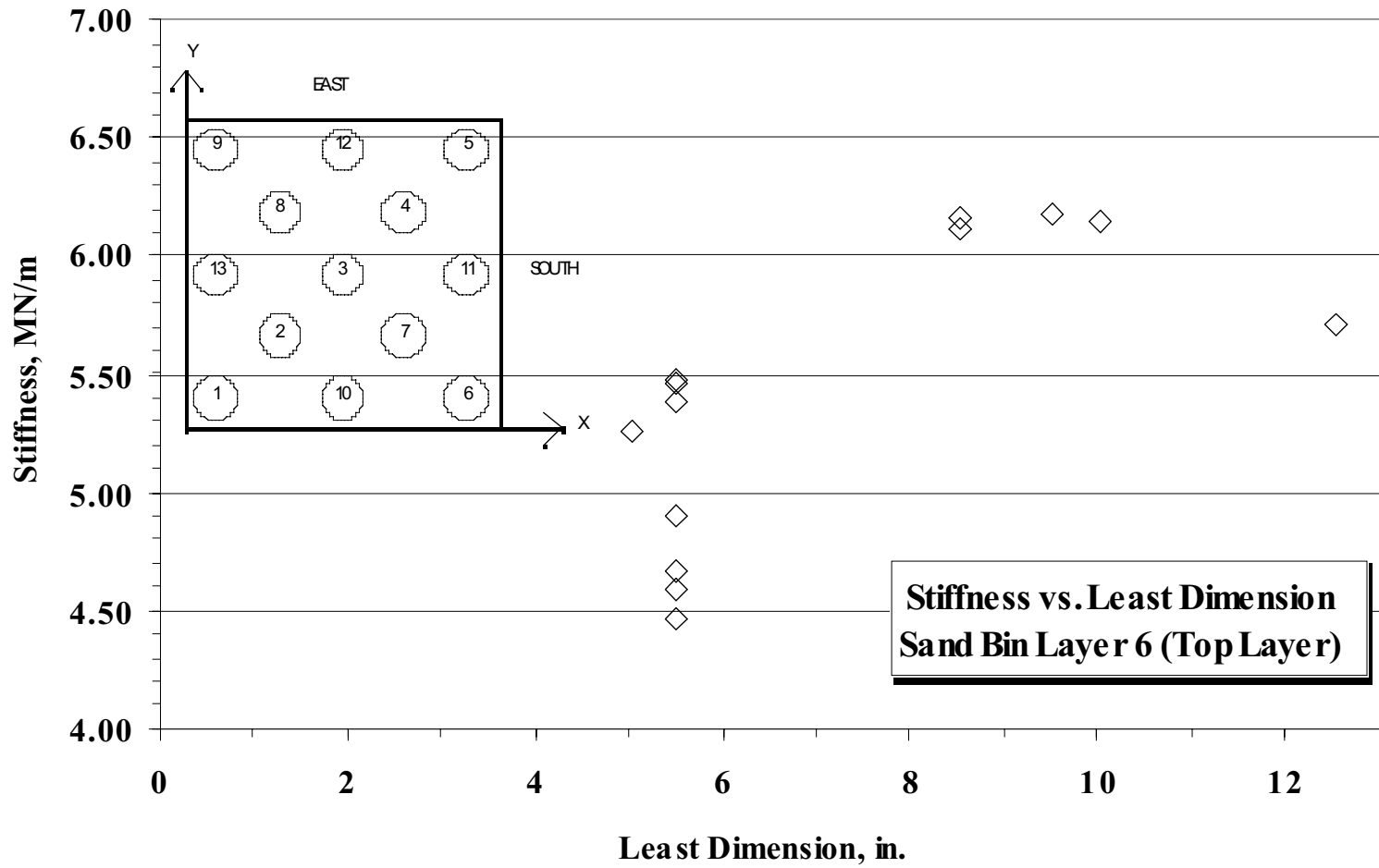
Theoretical: 33800 lb/in.

Error: 4.4 %

Layering and Boundary Effects on Dry Silica Sand







Compaction of Cohesive Silty Sand

AASHTO: A-2-4; Unified: SM

Bin Dimensions:

15"x15"x12" Deep

1.5" Plywood Lined

Marshall Hammer

w/ 4" Square Foot

Standard Proctor

Compaction Energy

6 ea. ~ 2-1/8" Lifts

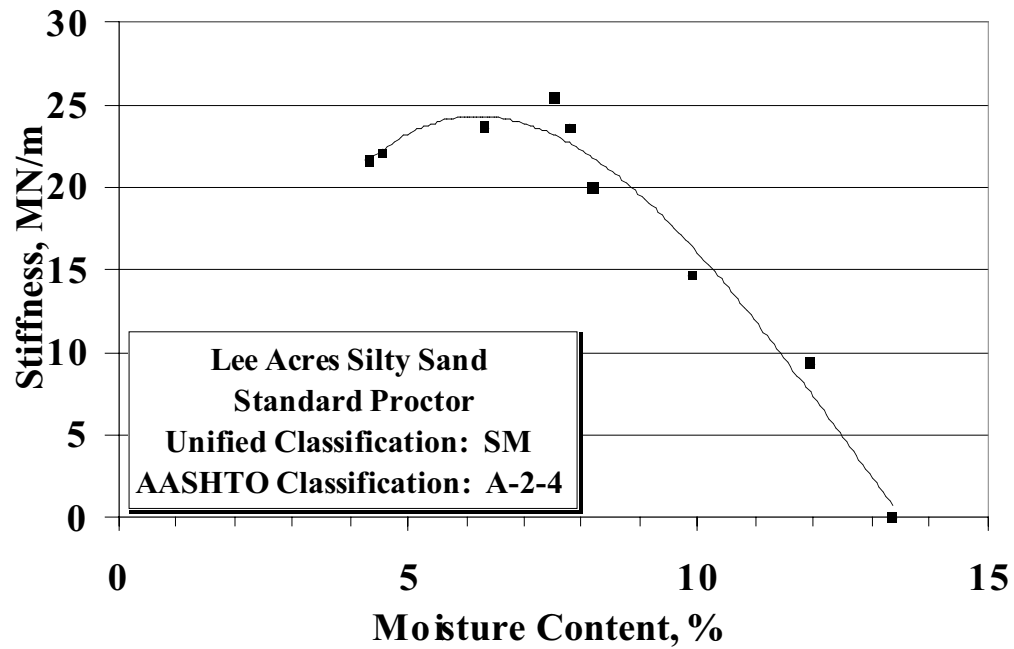
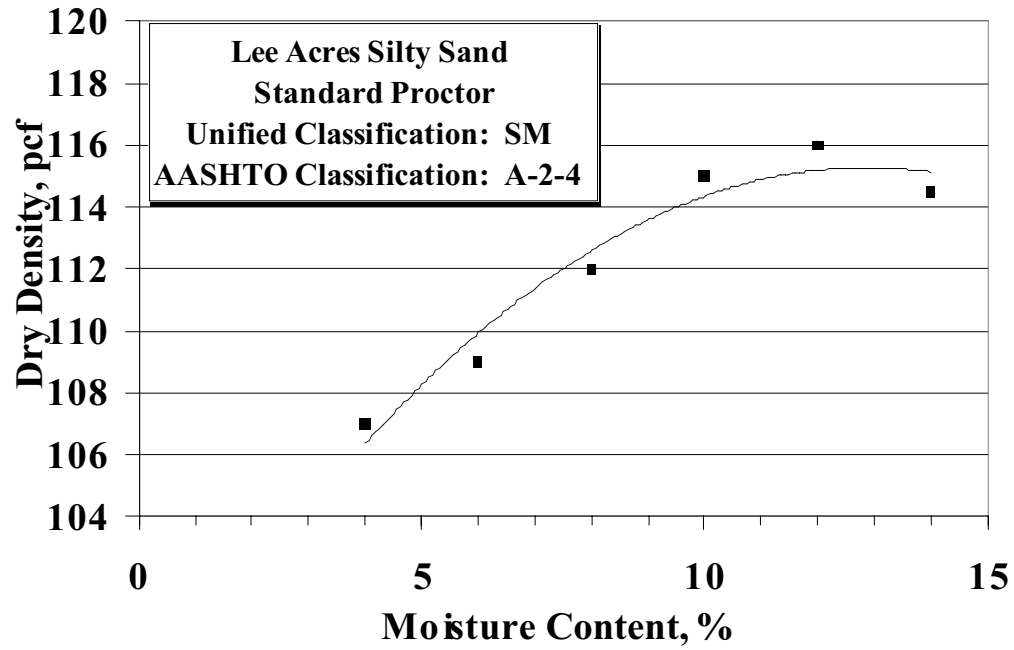


GeoGauge Stiffness Measurement



Moisture Content Evaluation (~ 2 kg at Center-Line (Full Depth))





Conclusions to Date

- GeoGauge Laboratory Measurements Verifiable by Rational Soil Mechanics Concepts
- Effects of Horizontal and Lateral Boundaries Minimal at ~12 inch Distance
- Optimum Moisture Content for Stiffness Below Optimum Moisture Content for Density